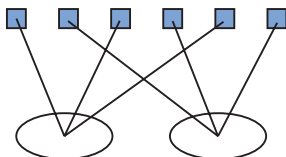


As outcomes, Year 2 pupils should, for example:

Understand, use and begin to read:
one each, two each... share, halve, divide, left over, divided by... equal groups of ...
 and read and write the division sign \div .

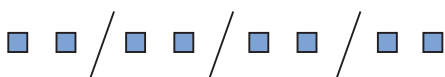
Understand the operation of division as:

- **sharing equally:** for example, 6 sweets are shared equally between 2 people. How many sweets does each one get?



- **grouping,** or repeated subtraction: for example, There are 18 apples in a box. How many bags of 3 apples can be filled? Count from zero in tens, for example, to 60. How many tens did you count?

Interpret $8 \div 2$ as 'how many 2s make 8?'



Respond rapidly to oral or written questions phrased in a variety of ways, such as:

- Share 18 between 2.
- Divide 6 by 3.
- How many tens make 80?
- How many sticks of 4 cubes can you make from a stick of 20 cubes?
- How many £2 coins do you get for £20?
- How many 2 cm lengths can you cut from 10 cm of tape?

Record simple simple mental divisions in a number sentence using the \div and = signs.

Recognise the use of symbols such as \square or \triangle to stand for unknown numbers, and complete, for example:

- with rapid mental recall:
 $6 \div 2 = \square$ $20 \div \square = 2$ $\square \div 10 = 3$
- using counters (for sharing) or a number line (for repeated subtraction), then mental strategies, explaining method:
 $16 \div 4 = \square$ $24 \div \square = 6$ $\square \div 3 = 8$
 $70 \div 10 = \square$

As outcomes, Year 3 pupils should, for example:

Use, read and begin to write:
share, halve, divide, divided by... equal groups of... the sign \div , and understand that $\frac{1}{2}$ means one divided into two equal parts.

Understand division (**see Year 2**) as:

- **grouping,** or repeated subtraction, including interpreting, for example, $35 \div 5$ as 'how many 5s make 35?'
- **sharing.**

Know that dividing a whole number by 1 leaves the number unchanged: for example, $12 \div 1 = 12$.

Understand that $16 \div 2$ does not equal $2 \div 16$.

Understand that division reverses multiplication (division is the inverse of multiplication).

Solve division calculations by using multiplication strategies. For example:

- Calculate $18 \div 3$ by counting how many hops of 3 on a number line are needed to reach 18.
- Solve $20 \div 4$ by interpreting this as 'How many fours make 20?'

Respond rapidly to oral or written questions phrased in a variety of ways, such as:

- Share 18 between 2.
- Divide 25 by 5.
- How many fives make 45?
- How many 5p coins do you get for 35p?
- How many lengths of 10 m can you cut from 80 m of rope?
- Is 35 a multiple of 5?

Record simple mental divisions in a number sentence using the \div and = signs.

Recognise the use of symbols such as \square or \triangle to stand for unknown numbers, and complete, for example:

- with rapid mental recall:
 $16 \div 2 = \square$ $30 \div \square = 6$ $\square \div 5 = 7$
- using counters (for sharing) or a number line (for repeated subtraction), then mental strategies, explaining method:
 $16 \div 4 = \square$ $24 \div \square = 6$ $\square \div 3 = 8$
 $26 \div 2 = \square$ $24 \div \square = 12$ $\square \div 10 = 8$

Interpret 'in every' situations as division calculations. For example:

- A baker bakes 24 buns. She puts 6 buns in every box. How many boxes of buns can she fill?
- William has made a pattern using 12 tiles. One tile in every four is red. How many tiles are red?