## Fractions, decimals, percentages, ratio and proportion

### As outcomes, Year 8 pupils should, for example:

Use vocabulary from previous year and extend to: direct proportion...

# **Solve simple problems involving direct proportion.** For example:

5 miles is approximately equal to 8 km.
 Roughly, how many km are equal to 20 miles?
 Roughly, how many miles are equal to 24 km?

1 mile 
$$\approx \frac{8}{5}$$
 km  
20 miles  $\approx \frac{8}{5} \times 20$  km = 32km

- 8 pizzas cost £16. What will 6 pizzas cost?
- 6 stuffed peppers cost £9.
  What will 9 stuffed peppers cost?

## Link to problems involving proportion (pages 4-5).

Use a **spreadsheet** to explore direct proportion. For example:

|   | Α              | В        | V |
|---|----------------|----------|---|
| 1 | No. of peppers | Cost (£) |   |
| 2 | 1              | =0.45*A2 | П |
| 3 | 2              | =0.45*A3 |   |
| 4 | 3              | =0.45*A4 |   |
| 5 | 4              | =0.45*A5 |   |
| 6 | 5              | =0.45*A6 |   |

|   | Α  | В        | V |
|---|----|----------|---|
| 1 | £  | \$       |   |
| 2 | 10 | =1.62*A2 |   |
| 3 | 20 | =1.62*A3 |   |
| 4 | 30 | =1.62*A4 |   |
| 5 | 40 | =1.62*A5 |   |
| 6 | 50 | =1.62*A6 |   |

Link to conversion graphs (pages 172–3, 270–1), graphs of linear relationships (pages 164–5), and problems involving ratio and proportion (pages 4–5).

### As outcomes, Year 9 pupils should, for example:

Use vocabulary from previous years and extend to: proportionality, proportional to... and the symbol  $\propto$  (directly proportional to).

## Identify when proportional reasoning is needed to solve a problem. For example:

• A recipe for fruit squash for six people is:



Trina made fruit squash for ten people. How many millilitres of lemonade did she use?

Jim used 2 litres of orange juice for the same recipe. How many people was this enough for?

#### Link to problems involving proportion (pages 4-5).

Use a **spreadsheet** to develop a table with a constant multiplier for linear relationships. Plot the corresponding graph using a **graph plotter** or **graphical calculator**.

Understand and use proportionality. Use  $y \propto x$   $y \propto x^2$   $y \propto 1/x$ 

to explore relationships between variables.

Use a **spreadsheet** to test whether one set of numbers is directly proportional to another, e.g.

| I |   | Α             | В      | С      | D      | Е      | F      | G      | Н      | V |
|---|---|---------------|--------|--------|--------|--------|--------|--------|--------|---|
| I | 1 | No. of litres | 1      | 2      | 3      | 4      | 5      | 6      | 7      |   |
| I | 2 | Price (p)     | 91     | 182    | 273    | 364    | 455    | 546    | 637    |   |
| ı | 3 | Price/litres  | =B2/B1 | =C2/C1 | =D2/D1 | =E2/E1 | =F2/F1 | =G2/G1 | =H2/H1 |   |

Plot the corresponding graph using a graph plotter.

Compare with a non-linear relationship, such as area of square = (side length)<sup>2</sup>

Use proportionality in other contexts. For example, from science know that pressure is proportional to force and weight is proportional to mass.

Appreciate that some 'real-life' relationships, particularly in science, may appear to be directly proportional but are not. For example, consider:

- A plant grows 5 cm in 1 week. How much will it grow in 1 year?
- A man can run 1 mile in 4 minutes. How far can he run in 1 hour?

Link to graphs of functions (pages 170-1).

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